

Secundum Artem

Current & Practical Compounding
Information for the Pharmacist.

Pharmaceutical Compounding Calculations

INTRODUCTION

Prescription compounding is a rapidly growing component of pharmacy practice. This can be attributed to a number of factors, including individualized patient therapy, lack of commercially available products, home healthcare, intravenous admixture programs, total parenteral nutrition programs and “problem solving” for the physician and patient in enhancing compliance with a specific therapeutic regimen. Pharmacists are creative and should have the ability to formulate patient-specific preparations for providing pharmaceutical care. Most compounded prescriptions require a number of calculations as part of preparation, packaging and dispensing.

Potential for Error:

One of the greatest potentials for error in prescription compounding is in the area of pharmacy math, or pharmacy calculations. Even though most of the processes are relatively simple, a misplaced decimal or “estimated” value for a medication can have serious consequences, including death. There is no excuse for ignorance in this area, and an individual unprepared to do the necessary calculations should not be involved in pharmaceutical compounding. It is of utmost importance that pharmacists be extremely well-grounded in the practice of pharmaceutical calculations as there is “zero tolerance” allowed in these vital operations.

This issue of *Secundum Artem* is provided as a review and reference source for commonly performed compounding calculations.

Solubility Expressions:

Solubility expressions in the literature and in

the United States Pharmacopeia (USP) are “x:y” and “x in y”, such as 1:4 and 1 in 4. This is stated as one part of solute plus 4 parts of solvent. This results in a 1:5 solution, or 1 part of solute in 5 parts of solution. A solubility expression is different from a ratio expression as just described. Let’s look at it again. A solubility of 1:3 is 1 g solute + 3 mL solvent. This results in a 1:4 solution (1 part of solute in 4 parts of solution), a 1:3 solution is 1 g in 3 mL solution (sufficient solvent to make).

Problem

One gram of boric acid is soluble in 18 mL water and makes a saturated solution. What is the percentage w/w and w/v of a saturated solution of boric acid? The total weight of the solution is 19 g. The strength of the solution w/w is 5.26%. The volume of the solution is between 18 and 19 mL and the w/v concentration is greater than 5.26%, possibly around 5.5%.

Problem

How much mannitol will be required to prepare 120 mL of a 1:10 solution?

$$\frac{1}{10} = \frac{x}{120} \quad x = 12 \text{ g}$$

12 grams of mannitol is placed in a graduated cylinder and solvent added to 120 mL.

Parts per “x” expressions

1 g/mL	100%	1 ppL (1 part per L)
1 mg/mL	0.1%	1 ppt (1 part per 1,000)
1 µg/mL	.0001%	1 ppm (1 part per 1,000,000) (also 1 g in 1,000,000 mL solution)
1 ng/mL	.0000001%	1 ppb (1 part per 1,000,000,000)

Problem

A pharmacist receives a prescription for 8 oz. of an oral rinse to contain 10 ppm Fluoride ion in

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Orange Flower Water. How much NaF would be required to prepare this Rx?

$$8 \times 29.57 \text{ mL} = 237 \text{ mL}$$

$$\frac{10 \text{ g}}{1,000,000 \text{ mL}} = \frac{x \text{ g}}{237 \text{ mL}}$$

$$x = .0024 \text{ g (2.4 mg) Fluoride Ion}$$

Since 1 mg F = 2.2 mg NaF

$$\frac{1 \text{ mg F}}{2.2 \text{ mg NaF}} = \frac{2.4 \text{ mg F}}{x \text{ mg NaF}}$$

$$x = 5.3 \text{ mg NaF}$$

Calculation of the Number of Dosage Forms/ Volume to Dispense:

A pharmacist receives a prescription for Wormaway 1 mg/mL for a family to be given today and then repeated in seven days. What is the total quantity of Wormaway 1 mg/mL required for the family if the dose is 0.3 mg/Kg body weight?

Adult 1	175#/2.2	=	79.55 kg x 0.3	=	23.87 mg
Adult 2	125#/2.2	=	56.82 kg x 0.3	=	17.05 mg
Child 1	95#/2.2	=	43.18 kg x 0.3	=	12.95 mg
Child 2	75#/2.2	=	34.09 kg x 0.3	=	10.23 mg
Child 3	60#/2.2	=	27.27 kg x 0.3	=	8.18 mg
					72.28 mg/dose

72.28 mg/dose x 2 doses = 144.56 mg

$\frac{144.56 \text{ mg}}{1 \text{ mg/mL}} = 144.56 \text{ mL}$

Least Measurable Quantities (Volume/Weight):

1. A pharmacy has a torsion balance with a 5 mg sensitivity. What is the smallest quantity that can be weighed accurately with a maximum of 5% error?

$5 \text{ mg} \times 100 = 100 \text{ mg}$

5% error

2. An electronic balance has a sensitivity reading of 0.1 mg. What is the smallest quantity that reasonably can be weighed?

A digital balance does not change its readout until the largest unit of material is placed on the balance pan. If the readability of a balance is 0.1 mg, the change in the digit on the right does not occur until 0.1 mg is added. In other words, 0.04 mg will not result in a digit change. If one tries to weigh 0.1 mg, one might actually place 0.14 mg of drug on the pan but the readout will only be 0.1. Therefore, use the same general principal as with torsion balances and weigh not less than 20 times the readability of the balance (2 mg).

Calibration of Droppers:

An anticholinergic liquid has been presented for a toddler at a dose of 0.25 mL. The dropper dispensed with the medication delivers 56 drops of the liquid per 2 mL. How many drops shall the parents be instructed to give the toddler?

$56/2 = 28 \text{ drops/mL}$

$\frac{0.25}{1} = \frac{x}{28} \quad x = 7 \text{ drops}$

WEIGHING/MEASURING/DRUG WEIGHTS

Reducing/Enlarging Formulas:

A formula for 100 mL of an ibuprofen gel requires 2 g of ibuprofen powder. What quantity of the gel would be required for 240 mL of the product?

$\frac{2}{100} = \frac{x}{240} \quad x = 4.8 \text{ g}$



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Partial dosage units:

Rx	Indomethacin	5 mg/5 mL
	Ora Plus	60 mL
	Ora Sweet qs	120 mL

How would you obtain the quantity of indomethacin required for this Rx using indomethacin 25 mg capsules?

5 mg/5 mL = 1 mg/mL
 1 mg/mL x 120 mL = 120 mg needed
 120 mg/25 mg/capsule = 4.8 capsules required.

1. Empty the contents of five capsules onto a tared weighing paper and weigh (Ex: 1.6 g).

2. The contents weigh 1.6 g. You need to remove

$$\frac{4.8}{5} = 0.96 \times 1.6 \text{ g} = 1.536 \text{ g}$$

of the mixture for the prescription.

Stock Solutions:

A pharmacist is preparing an ophthalmic decongestant solution in batch form. Each of three bottles will contain 15 mL. The preservative to be incorporated is 0.01% benzalkonium chloride (BAK). The pharmacist has a stock solution containing 17% BAK. How much of this stock solution would be required for the three bottles?

$$15 \times 3 = 45 \text{ mL}$$

$$45 \times .0001 = .0045 \text{ g}$$

$$\frac{.0045}{x} = \frac{17}{100}$$

$$x = 0.026 \text{ mL}$$

Dilution Aliquots:

A pharmacist needs to obtain .015 mL of a flavoring oil for an oral liquid. Using alcohol as a solvent, and a pipet accurate to 0.01 mL, how can this appropriately be done?

1. Measure 0.1 mL of flavoring oil
2. Add 0.56 mL of alcohol and mix well

$$\frac{0.1}{(0.1 + 0.56)} = \frac{0.015}{x}$$

$$x = 0.099 \text{ or } 0.1 \text{ mL}$$

3. Remove 0.1 mL of the solution for the Rx

Specific Gravity in Weighing/Measuring:

A pharmacist receives a prescription for 120 mL of a 3% w/v Hydrochloric Acid solution. The density of concentrated hydrochloric acid (37%) is 1.18 g/mL. How many milliliters of the concentrated acid would be required for the Rx?

$$3\% = .03$$

$$.03 \times 120 \text{ mL} = 3.6 \text{ g required}$$

$$\text{Volume} = \frac{3.6 \text{ g}}{1.18} = 3.05 \text{ mL}$$

$$1.18 \text{ g/mL}$$

$$37\% = 0.37$$

$$\frac{3.05 \text{ mL}}{0.37} = 8.24 \text{ mL}$$

Hydrated and Anhydrous Crystals:

How much $\text{MgSO}_4 \cdot 7\text{H}_2\text{O}$ must be weighed to obtain 5 g of MgSO_4 ?

$$\text{Mg} = 24$$

$$\text{S} = 32$$

$$\text{O} = 16$$

$$\text{H} = 1$$

1. The weight of MgSO_4

$$\text{Mg} \quad 1 \times 24 = 24$$

$$\text{S} \quad 1 \times 32 = 32$$

$$\text{O} \quad 4 \times 16 = 64$$

$$120$$

2. The weight of $\text{MgSO}_4 \cdot 7\text{H}_2\text{O}$

$$\text{MgSO}_4 \quad 1 \times 120 = 120$$

$$\text{H} \quad 14 \times 1 = 14$$

$$\text{O} \quad 7 \times 16 = 112$$

$$246$$

3. The quantity of $\text{MgSO}_4 \cdot 7\text{H}_2\text{O}$ required is

$$\frac{120}{246} = \frac{x}{5}$$

$$x = 10.25 \text{ g}$$

4. 10.25 g of $\text{MgSO}_4 \cdot 7\text{H}_2\text{O}$ contains 5 g of MgSO_4

Potency of Salt Forms:

Polymyxin B sulfate has a potency of 6,000 units per mg. You need to prepare an ophthalmic solution (10 mL) containing 10,000 units per mL. How much polymyxin B sulfate, in mg, is required for the prescription?

$$10,000 \text{ U/mL} \times 10 \text{ mL} = 100,000 \text{ U needed}$$

$$\frac{6,000 \text{ U}}{1 \text{ mg}} = \frac{100,000 \text{ U}}{x}$$

$$x = 16.67 \text{ mg required}$$

Mixing Products of Different Strengths:

1. A pharmacist receives an order for 120 g of a 0.1% corticosteroid ointment. On hand are 1 oz of 0.1%, ½ oz. of 0.15% and 2½ oz of 0.005%, all in the same ointment base. If these three ointments are mixed together, how much additional corticosteroid powder should be added to prepare the prescription? (Assume the quantity of corticosteroid added will be negligible compared to the 120 g total weight.)

$$120 \times .001 = 120 \text{ mg needed}$$

$$30 \times 0.001 = 30 \text{ mg}$$

$$15 \times .0015 = 22.5 \text{ mg}$$

$$75 \times .00005 = 3.8 \text{ mg}$$

$$\text{Total} \quad 56.3 \text{ mg}$$

$$120 \text{ mg} - 56.3 \text{ mg} = 63.7 \text{ mg}$$

2. In what quantities could 50% dextrose in water be mixed with 5% dextrose

in water to obtain 900 mL of 15% dextrose in water?

$$50 \quad 10 \div 5 = 2$$

$$15$$

$$5 \quad 35 \div 5 = 7$$

$$\text{Total} \quad 9 \text{ parts}$$

$$\frac{2}{9} \times 900 = 200 \text{ mL of } D_{50}W$$

$$9$$

$$\frac{7}{9} \times 900 = 700 \text{ mL of } D_5W$$

$$9 \quad 900 \text{ mL Total Volume}$$

Powders for Reconstitution:

The directions to constitute an amoxicillin suspension 250 mg/5 mL, 150 mL, state that 111 mL of Purified Water are required. The physician has requested the product be constituted at a concentration of 500 mg/mL. How much Purified Water would be required?

1. 150 mL - 111 mL = 39 mL occupied by powder
2. 250 mg/5 mL = 50 mg/mL
3. 50 mg/mL x 150 mL = 7.5 g of powder
4. 7.5/0.5 = 15 doses
5. 15 doses x 5 mL = 75 mL volume
6. 75 mL - 39 mL = 36 mL required

INGREDIENT-PRODUCT SPECIFIC CALCULATIONS**MilliEquivalents:**

1. A prescription calls for 25 milliequivalents of sodium chloride. What quantity, in mg, would be required? 1 equivalent NaCl = 58.5 gm, 1 milliequivalent = 58.5 mg;
 $25 \text{ mEq} \times 58.5 \text{ mg/mEq} = 1.463 \text{ g}$

2. A pharmacist receives an order for 10 mEq of Ca^{+} . How much of a standard 10% CaCl_2 solution should be used for this order?

$$\text{Ca} = 40/2 = 20 \text{ mg/mEq}$$

$$\frac{1 \text{ mEq} = 20 \text{ mg}}{10 \text{ mEq} \quad x}$$

$$x = 200 \text{ mg Ca required}$$

$$\text{CaCl}_2 = 40 + 71 = 111$$

$$\frac{40}{111} = \frac{200 \text{ mg}}{x}$$

$$111 \quad x$$

$$x = 555 \text{ mg CaCl}_2 \text{ required}$$

$$\frac{10 \text{ g}}{100 \text{ mL}} = \frac{0.555 \text{ g}}{x} \quad x = 5.55 \text{ mL of the 10\% CaCl}_2 \text{ solution}$$

3. An Rx calls for 15 mEq of K^{+} (as KC1) and 10 mEq of Na^{+} (as NaCl) per tablespoonful with 240 mL to be prepared in a suitable vehicle (containing no K^{+} or Na^{+}). How much KC1 and NaCl would be required? ($\text{K}=39$, $\text{Cl}=35.5$, $\text{Na}=23$, $\text{KC1}=74.5$, $\text{NaCl}=58.5$).

$$1 \text{ mEq KC1 weighs } 74.5 \text{ mg}$$

$$\frac{1 \text{ mEq}}{74.5 \text{ mg}} = \frac{15 \text{ mEq}}{x} \quad x = 1.118 \text{ g}$$

$$74.5 \text{ mg} \quad x$$

$$\frac{15 \text{ mL}}{240} = \frac{1.118}{x} \quad x = 17.89 \text{ g KC1 required}$$

1 mEq NaCl weighs 58.5 mg

$$\frac{1 \text{ mEq}}{58.5 \text{ mg}} = \frac{10 \text{ mEq}}{x \text{ mg}} \quad x = 0.585 \text{ g}$$

$$\frac{15 \text{ mL}}{240 \text{ mL}} = \frac{0.585}{x} \quad x = 2.106 \text{ g NaCl required}$$

Millimoles:

How many millimoles of NaCl are contained in 1 liter of 0.9% Sodium Chloride Solution? (Formula weights: Na=23, Cl=35.5, NaCl=58.5).

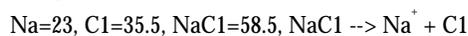
$$0.009 \times 1000 \text{ mL} = 9 \text{ g NaCl}$$

1 mole NaCl weighs 58.5 g

$$\frac{1}{58.5 \text{ g}} = \frac{x}{9 \text{ g}} \quad x = 0.154 \text{ mole} = 154 \text{ millimoles}$$

Osmolality:

1. What is the osmolality (number of milliosmoles) of 1 liter of 0.9% sodium chloride solution? (Assume complete dissociation)



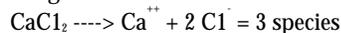
millimoles NaCl present per liter = 154 from previous problem

154 millimoles NaCl x 2 species (Na + Cl) = 308 mOsmol/liter

2. What is the osmolality of 10% CaCl₂ solution? (Assume complete dissociation) (Formula weights: Ca=40, Cl=35.5, CaCl₂=111g/L)

$$10\% \text{ CaCl}_2 = 100 \text{ g}/1000 \text{ mL}$$

$$\frac{100 \text{ g}}{111 \text{ g}} = \frac{x}{1 \text{ mole}} \quad x = 0.9 \text{ moles/liter} = 900 \text{ millimoles}$$



900 millimoles CaCl₂/L x 3 species = 2700 mOsmol/Liter

Units to Weight Conversions:

An Rx order calls for 150,000 units of nystatin per gram of ointment with 60 grams to be dispensed. How much nystatin would be weighed? (4400 USP Nystatin units/mg)

$$150,000 \text{ u/g} \times 60 \text{ g} = 9,000,000 \text{ units needed}$$

$$9,000,000/4400 \text{ u/mg} = 2.045 \text{ g required}$$

Shelf Life Estimates:

Shelf life estimates can be made using the equation:

$$t_{90} \text{ New} = \frac{t_{90} \text{ Orig}}{3^{\frac{\Delta T}{10}}}$$

Where ΔT = change in temperature
3 is a reasonable estimate for the "Q" value, based on energies of activation from the Arrhenius equation.

1. An antibiotic solution has a shelf life of 96 hours when in a refrigerator. If it is necessary that a patient use it in an ambulatory pump at approximate body temperature (30°C) over six hours, would it still retain at least 90% of its original potency during the entire period of administration?

$$t_{90} = \frac{96}{3^{\frac{25}{10}}} = 6.16 \text{ hours} \quad \text{Ans.} = \text{yes}$$

2. A prescription is received for an ophthalmic solution with a shelf life of four hours at room temperature. The preparation is to be administered in a physician's office at 12:00 noon the next day. Can it be prepared the evening before at about 8:00 p.m. and still retain at least 90% of its shelf life if stored in a refrigerator?

$$t_{90} = \frac{4}{3^{\frac{20}{10}}} = \frac{4}{3^2} = 36 \text{ hours} \quad \text{Ans.} = \text{yes}$$

3. A reconstituted antibiotic has a shelf life at room temperature of three days. How long would the preparation be good if stored in a refrigerator? (A reasonable estimate based on t₉₀.)

$$t_{90} = \frac{3 \text{ d}}{3^2} = 3 \times 9 = 27 \text{ days}$$

Effervescent Calculations:

A prescription calls for an effervescent mixture of citric acid/tartaric acid (1:2) molar ratio with sodium bicarbonate to mask the taste of a drug. How much active drug, citric acid (C₆H₈O₇•H₂O), tartaric acid (C₄H₆O₆) and sodium bicarbonate (NaHCO₃) will be required for the prescription? (KC1=74.5, NaHCO₃=84, C₆H₈O₇•H₂O=210, C₄H₆O₆=150)

Rx KC1 1 mEq/5 g tsp
Tartaric Acid
Citric Acid
Sodium Bicarbonate
Lime Flavor Crystals Q.S.

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CONGRATULATIONS to Bob Mastro, Pharm.D., LaVerne, CA – winner of the recent Mortar & Pestle drawing.

YES, I would like to enter the current *Secundum Artem* Mortar & Pestle Drawing.

1. How many prescriptions do you compound per month? _____

2. What powders do you use in your compounding?

_____ Hydrocortisone

_____ Nystatin

_____ Progesterone

_____ Other _____

Name _____

Pharmacy Name _____

Pharmacy Address _____

Phone _____

Dispense 100 grams

Assume the powder in final form will weigh 5 grams per teaspoonful. How much of the acids and the NaHCO₃ are required for this Rx? Assume the lime flavor crystals contribute negligible weight.

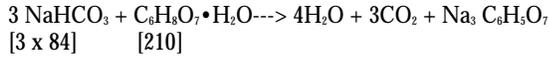
$$\frac{100 \text{ g}}{5 \text{ g/dose}} = 20 \text{ doses}$$

$$20 \text{ doses} \times 74.5 \text{ mg/dose} = 1.49 \text{ g KC1 required}$$

$$100 \text{ g} - 1.49 \text{ g} = 98.51 \text{ g Effervescent Mix}$$

To calculate the quantities of Citric Acid and Tartaric Acid that will be used in the ratio of 1 part citric acid + 2 parts tartaric acid to make 98.51 g of the effervescent mix when combined with the sodium bicarbonate:

Citric Acid

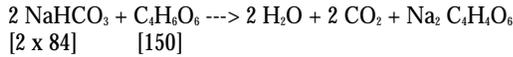


$$\frac{1}{210} = \frac{x}{3 \times 84}$$

$$x = 1.2 \text{ g}$$

Therefore, 1 gram of citric acid reacts with 1.2 g sodium bicarbonate.

Tartaric Acid



$$\frac{2}{150} = \frac{x}{2 \times 84}$$

$$x = 2.24 \text{ g}$$

Therefore, 2 grams of tartaric acid reacts with 2.24 g of sodium bicarbonate.

Adding together the values for sodium bicarbonate (1.2 g + 2.24 g), it will take 3.44 g of sodium bicarbonate for 1 gram of citric acid and 2 grams of tartaric acid.

The prescription requires 98.51 g of effervescent mix. The quantity of each ingredient can be calculated as follows:

1 part citric acid + 2 parts tartaric acid + 3.4 parts sodium bicarbonate = 6.4 parts total

$$\frac{1}{6.4} \times 98.51 = 15.39 \text{ g citric acid}$$

$$\frac{2}{6.4} \times 98.51 = 30.78 \text{ tartaric acid}$$

$$\frac{3.4}{6.4} \times 98.51 = 52.34 \text{ sodium bicarbonate}$$

$$6.4 \quad 98.51 \text{ g total mix}$$

To prepare the prescription, the following quantities of ingredient should be weighed accurately:

Potassium Chloride	1.49 g
Citric Acid	15.39 g
Tartaric Acid	30.78 g
Sodium Bicarbonate	52.34 g
Total	100 g

Surfactant Blending:

A prescription calls for 120 g of a cream using 3% Tween 80 and 1% Span 40. What is the HLB value of this mixture? (HLB of Tween 80 = 15.0, HLB of Span 40 = 6.7)

$$120 \times .03 = 3.6 \text{ g} \quad 3.6 \times \text{HLB of } 15 = 54$$

$$120 \times .01 = 1.2 \text{ g} \quad 1.2 \times \text{HLB of } 6.7 = 8$$

$$4.8 \quad 62$$

$$62 / 4.8 = 12.9 \text{ HLB}$$

DOSAGE FORM SPECIFIC CALCULATIONS

Ophthalmic and Nasal Solutions -

Sodium Chloride Equivalents:

How much sodium chloride is required to render the following Rx isotonic?

Rx	Lidocaine HCl	1%	(NaCl equiv. = 0.22)
	Cocaine HCl	1%	(NaCl equiv. = 0.16)
	Epinephrine Bitartrate	0.1%	(NaCl equiv. = 0.18)
	Sterile Water	qs	50 mL
	Sodium Chloride	qs	
	50 x .01 = 0.5 x .22 =	0.110	
	50 x .01 = 0.5 x .16 =	0.080	
	50 x .001 = .05 x .18 =	.009	
		.199 g	

The ingredients represent the equivalent of 0.199 g of NaCl.

$$50 \times .009 = 0.45 \text{ g} \quad \text{NaCl to make 50 mL water isotonic}$$

$$0.45 - 0.199 = 0.251 \text{ g} \quad \text{NaCl needed to add to this Rx to make it isotonic}$$

Ophthalmic and Nasal Solutions - Buffer Solutions & pH:

Rx	Optimycin	1%
	NaCl	qs
	Phosphate Buffer pH 6.5	100 mL

Sorensen Modified Phosphate Buffer



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Acid Stock Solution (1/15M)Sodium Biphosphate, Anhy. 8.006 g
Purified Water qs 1000**Alkaline Stock Solution (1/15 M)**Sodium Phosphate Anhy. 9.473 g
Purified Water qs 1000 mL

pH	mL of 1/15 M Sodium Biphosphate Solution	mL of 1/15 M Sodium Phosphate Solution
5.9	90	10
6.2	80	20
6.5	70	30
6.6	60	40
6.8	50	50
7.0	40	60
7.2	30	70
7.4	20	80
7.7	10	90
8.0	5	95

To prepare 100 mL of pH 6.5 phosphate buffer solution, use 70 mL of 1/15 Molar Sodium Biphosphate Solution and 30 mL of 1/15 Molar Sodium Phosphate Solution.

Nasal Solutions – Calibrating a Dropper/Sprayer:

A nasally administered product has a dose of 25 µg. A 0.5% solution is prepared and placed in a nasal spray bottle. Ten “squeezes” into a plastic bag by the patient weighed 500 mg. How many squeezes are required to administer the 25 µg dose? (assume weight of solution is 1 gram per mL, i.e., 500 mg = 0.5 mL).

$$0.5\% = 0.5 \text{ g}/100 \text{ mL}$$

$$\frac{0.5 \text{ g}}{100 \text{ mL}} = \frac{x \text{ g}}{0.5 \text{ mL}}$$

$$x = .0025 \text{ g}/0.5 \text{ mL or } 2.5 \text{ mg}/0.5 \text{ mL (2,500 } \mu\text{g}/0.5 \text{ mL)}$$

Since 10 squeezes expels 2,500 µg, there would be 250 µg in 1 squeeze

Capsule Filling – Powder Displacement:

A pharmacist receives a prescription for 15 mg piroxicam capsules, qty. 48. A #1 capsule filled with piroxicam weighs 245 mg; a capsule filled with lactose weighs 180 mg. How much piroxicam and lactose are required for the prescription? Prepare sufficient powder for 50 capsules (2 extra).

$$50 \times 15 = 750 \text{ mg piroxicam}$$

$$\frac{15}{245} = \frac{x}{180} \quad x = 11 \text{ mg}$$

15 mg piroxicam occupies a similar volume as does 11 mg lactose

$$180 \text{ mg} - 11 \text{ mg} = 169 \text{ mg lactose/capsule}$$

$$169 \times 50 = 8.45 \text{ g lactose required}$$

Suppositories/Troches/Lozenges – Displacement Factors:

Rx Zinc Oxide 300 mg
Cocoa Butter qs

If the density factor for cocoa butter is 0.9 and for zinc oxide is 4.0, and the suppository mold holds 2.0 g of cocoa butter, how much cocoa butter would be required to prepare 12 of the suppositories for this prescription?

Solution

–Total weight if just cocoa butter was used:

$$12 \times 2.0 \text{ g} = 24 \text{ g}$$

–The density ratio is:

$$4/0.9 = 4.44$$

–The weight of zinc oxide required is 3.6 g

–The amount of suppository base displaced by the active drug is:

$$3.6 \text{ g}/4.44 = 0.81 \text{ g}$$

–The weight of the suppository base for the prescription is:

$$24 \text{ g} - 0.81 \text{ g} = 23.19 \text{ g}$$

Emulsions – Nucleus:

Rx Mineral Oil 30%
Acacia
Flavor, QS
Purified Water, QS 120 mL

Using a 4:2:1, Continental Method, how much Acacia is required for this Rx?

$$30\% \times 120 \text{ mL} = 36 \text{ mL}$$

$$\text{Oil:Water:Acacia} = 4:2:1$$

$$\frac{36}{4} = \frac{x}{1}$$

$$x = 9 \text{ grams of Acacia required.}$$



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